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Night School


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Course Description

Session 6: Frame Member and Connection Design March 13, 2017

Lesson 6 incorporates the results of the frame analysis discussed in lesson 5 to demonstrate the design of the building columns, crane columns, and moment connections. The AISC Manual beam-column tables are used for the design of the beam columns to illustrate their use. The design of the Ordinary Moment Frame connection of a truss to the building column is provided. The development of the specification for the joist girders for the example building using the Steel Joist Institute's Technical Digest 11 is also discussed. The design of the column anchor rods is provided including evaluation of limit states according to ACI 318 Chapter 17. Discussion of the recommendations of AISC Design Guide 1 are included in the example as well as the calculation for the thickness of the column base plate.



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Learning Objectives

- Discuss how the results of a frame analysis are used to design columns, crane columns and moments connections.
- List where column and beam-column design values are found in the AISC Steel Construction Manual.
- List the requirements of an Ordinary Moment Frame design per AISC 341-10.
- List the criteria to establish the length and diameter of column anchor rods.



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Design of Industrial Buildings

Session 6: Frame Member and Connection Design March 13, 2017



Presented by
Jules Van de Pas, SE, PE
Vice President, Computerized Structural Design

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AISC Night School 13

Design of Industrial Buildings Lesson 6



Presenter:
Jules Van de Pas



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Design of an Industrial Crane Building

• Lesson 6

- Final Design of the Building Columns
- Final Design of the Crane Columns
- Final Design of the Truss
- Design of the Frame Connections
- Design of the Anchor Rods



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Review of Design Criteria



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Project Description

- 50 ton, top running crane, Class D
- Quantity: 1 per aisle
- Hook height: 45 ft
- Roof type: Standing Seam on Joists
- Wall type: R- panel with continuous Zs
- Automatic Sprinkler System



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Codes and Standards

- Building Code: IBC 2015
- Minimum Design Loads For Buildings And Other Structures (ASCE 7-10)
- Building Department Contact: John Smith
- Date: July 6, 2016
- Local Ordinances: None
- Wind Speed: 115 mph
- Wind Exposure: C



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Local Code Requirements

- Ground Snow Load: 15 psf
- Seismic Spectral Acceleration:
 - $S_s = 1.054$ g
 - $S_1 = 0.400$ g



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Loads

- ROOF DEAD LOAD
 - Roofing (SSR) 2.0 psf
 - Insulation 1.0 psf
 - Roof Bracing 1.0 psf
 - Joists 3.0 psf
 - Joist Girders 3.0 psf
 - Columns 6.0 psf
 - MEP Allowance 3.0 psf
 - **Total 19.0 psf**
- WALL DEAD LOAD **3.0 psf**
 (Includes Girts)



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Loads

- ROOF LIVE LOADS
 - 20.0 psf (reducible)
- SNOW LOADS
 - Ground Snow Load (P_g): 15.0 psf
 - Building Category: II → Importance Factor, $I_s = 1.0$
 - Thermal Factor, C_t : 1.0
 - Exposure Factor, C_e , Partially Exposed: 1.0



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Load Calculations - Snow

- Low Slope Roof Snow Load (slope $<15^\circ$):
 $P_f = 0.7C_e C_t I P_g = 10.5$ psf
- Minimum Roof Snow for Low Slope Roof
 $P_m = I_S P_g = 15$ psf ← controls
- Check Rain-on-Snow Surcharge, slope $\frac{1}{4}$ " per ft.
 (Slope = 1.19°) $< (W / 50 = 60 / 50 = 1.2)$ Add Surcharge
 $P_f = 15$ psf + 5 psf = 20 psf
- Must consider unbalanced snow per 7.6 if slope is $\frac{1}{2}$ " per ft or greater.



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Loads

- SEISMIC LOADS
 - Spectral Acceleration, S_s : 1.054 g
 - Spectral Acceleration, S_1 : 0.40 g
 - Occupancy Category: II
 - Site Class: D
 - Soil shear wave velocity, \bar{V}_s : 800 ft/sec
 - Standard penetration resistance, \bar{N} : 15 blows
 - Soil undrained shear strength, $\bar{\tau}_u$: 1500 psf
 - Importance Factor, I_e : 1.0
- Seismic Design Category: D



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Load

- Structure is considered to be a "Nonbuilding Structure Similar to Buildings" per Chapter 15 of ASCE 7-10
- Transverse Direction from Table 15.4-1 OMF – Ordinary Moment Frame with permitted height increase
 $R = 2.5$ $\Omega_o = 2.0$ $C_d = 2.5$
 Detailing per AISC 341 Height limit = 100 feet.
- Longitudinal Direction from Table 15.4-1 OCBF – Ordinary Concentrically Braced Frame with permitted height increase
 $R = 2.5$ $\Omega_o = 2.0$ $C_d = 2.0$
 Detailing per AISC 341 Height limit of 160 ft.



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Design of an Industrial Crane Building

- Lesson 6
 - Final Design of the Building Columns
 - Final Design of the Truss
 - Design of the Frame Connections
 - Design of the Anchor Rods



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Column Design

- Check preliminary building column sizes for forces and moments from the analysis.
- Reanalyze if column sizes change, including adjusted joist girder properties
- Re-check members
- Check drift (serviceability and seismic)
- Final design of the crane columns



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Design of Beam Columns

- Beam Column Design using Manual Tables
 - Part 6 of the Manual contains tables to assist in the design of members for combined forces
 - Table entries included for all W-shapes
 - Could actually be used to design for pure bending, pure compression, and pure tension
 - Available for W-shapes only
 - Includes ALL W-shapes



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Design for Combined Forces

- Interaction Equations
- H1-1a and H1-1b

For $\frac{P_r}{P_c} \geq 0.2$

$$\frac{P_r}{P_c} + \frac{8}{9} \left[\frac{M_{rx}}{M_{cx}} + \frac{M_{ry}}{M_{cy}} \right] \leq 1.0$$

For $\frac{P_r}{P_c} < 0.2$

$$\frac{P_r}{2P_c} + \left[\frac{M_{rx}}{M_{cx}} + \frac{M_{ry}}{M_{cy}} \right] \leq 1.0$$



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Design for Combined Forces

- These may be rewritten as

$$pP_r + b_x M_{rx} + b_y M_{ry} \leq 1.0 \quad (\text{H1-1a})$$

and

$$0.5pP_r + \frac{9}{8} (b_x M_{rx} + b_y M_{ry}) \leq 1.0 \quad (\text{H1-1b})$$

respectively



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Design for Combined Forces

• Where

$$p = \frac{1}{P_c}$$

$$b_x = \frac{8}{9M_{cx}}$$

$$b_y = \frac{8}{9M_{cy}}$$

Units are 1/kips and 1/ft-kips

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AISC Manual Table 6-1

Table 6-1 (continued)
 Combined Axial and Bending
 $F_y = 50$ ksi
 W Shapes

Shape	W14									
	W14					W14				
	$p \times 10^3$	$A_g \times 10^3$	$I_x \times 10^8$	$I_y \times 10^8$	r_x	r_y	$p \times 10^3$	$A_g \times 10^3$	$I_x \times 10^8$	$I_y \times 10^8$
Design	ASD	ASD	ASD	ASD	ASD	ASD	ASD	ASD	ASD	ASD
Effective length KL , ft with respect to least radius of gyration, r , in	8	10	12	14	16	18	20	22	24	26
C_b	1.0	1.0	1.0	1.0	1.0	1.0	1.0	1.0	1.0	1.0
ϕ_c	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90
ϕ_b	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90
ϕ	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90

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Table 6-1

- See AISC Manual page 6-4
 - If $C_b = 1.0$ no adjustments are necessary to use Table 6-1.
 - If $C_b \geq 1.0$, then select b_x from Table 6-1 using L_b and the divide b_x by C_b for checking the section. ($b_x / C_b > b_{xmin.}$)
 - If $pP_r < 0.2$ then divide p by 2 and multiply b_x by 9/8 for checking the section.

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AISC Manual Table 6-1

Table 6-1 (continued)
 Combined Flexure and Axial Force
 $F_y = 50$ ksi
 W-Shapes

Shape	W10-W27									
	W10					W27				
	$p \times 10^3$	$A_g \times 10^3$	$I_x \times 10^8$	$I_y \times 10^8$	r_x	r_y	$p \times 10^3$	$A_g \times 10^3$	$I_x \times 10^8$	$I_y \times 10^8$
Design	ASD	ASD	ASD	ASD	ASD	ASD	ASD	ASD	ASD	ASD
Effective length KL , ft with respect to least radius of gyration, r , in	8	10	12	14	16	18	20	22	24	26
C_b	1.0	1.0	1.0	1.0	1.0	1.0	1.0	1.0	1.0	1.0
ϕ_c	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90
ϕ_b	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90
ϕ	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90	0.90

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Table 6-1

- Exterior columns: $W30x99$ $P_r = 16.9$ kips, $M_r = 359$ kip-ft
- Since the column has large bending moments compared to axial forces check first by using the beam Table 3-10. Try an unbraced length of 20 ft.

$$p \times 10^3 = 3.00; b_x \times 10^3 = 1.78$$

$$p P_r = (3 \times 10^{-3})(16.9) = (0.003)(16.9) = .051 < 0.2$$

$$(1/2)(.003)(16.9) + (9/8)(0.00178)(359 \text{ kip-ft}) = .74$$

$$.74 < 1.0 \text{ OK}$$



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Table 6-1

- Interior columns: $W24x146$ $P_a = 29.3$ kips, $M_a = 430$ kip-ft
- Laterally braced at top of crane column = 42.5 ft.

$$p \times 10^3 = 4.45; b_x = 1.88 \times 10^{-3}$$

$$p P_a = (4.45 \times 10^{-3})(29.3) = (0.00445)(29.3) = 0.13 < 0.2$$

$$(1/2)p P_r + 9/8(b_x M_{rx} + b_y M_{ry}) \leq 1.0$$

$$(.5)(0.00445)(29.3 \text{ kips}) + (9/8)(.00188)(430 \text{ kip-ft}) =$$

$$.97 < 1.00 \text{ OK} \text{ -demonstrate adjustment for } C_b$$




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AISC Manual Table 6-1

Table 6-1 (continued)
Combined Flexure and Axial Force
W-Shapes

$F_y = 50$ ksi



Shape	W24											
	176						166					
	$P_r \leq 10^3$		$P_r \leq 10^3$		$P_r \leq 10^3$		$P_r \leq 10^3$		$P_r \leq 10^3$		$P_r \leq 10^3$	
Design	ADD	LIMIT	ADD	LIMIT	ADD	LIMIT	ADD	LIMIT	ADD	LIMIT	ADD	LIMIT
0	0.566	0.400	0.007	0.464	0.000	0.460	0.761	0.500	0.777	0.517	0.502	0.507
11	0.742	0.483	0.700	0.466	0.021	0.533	0.754	0.508	0.804	0.595	0.827	0.571
12	0.781	0.509	0.710	0.472	0.027	0.547	0.776	0.516	0.818	0.611	0.837	0.580
13	0.793	0.521	0.721	0.479	0.030	0.550	0.788	0.524	0.845	0.626	0.857	0.590
14	0.808	0.537	0.731	0.487	0.032	0.560	0.801	0.533	0.875	0.640	0.882	0.600
15	0.826	0.550	0.742	0.496	0.034	0.569	0.814	0.541	0.911	0.654	0.911	0.611
16	0.865	0.575	0.754	0.502	0.034	0.601	0.827	0.550	1.05	0.698	0.938	0.622
17	0.898	0.597	0.766	0.510	0.039	0.645	0.841	0.560	1.20	0.723	0.950	0.633
18	0.926	0.620	0.778	0.518	0.041	0.671	0.855	0.569	1.33	0.752	0.963	0.645
19	0.975	0.640	0.791	0.526	0.043	0.700	0.870	0.578	1.5	0.786	0.980	0.657
20	1.02	0.670	0.804	0.532	0.045	0.731	0.886	0.589	1.64	0.823	1.01	0.670
22	1.12	0.746	0.832	0.553	0.051	0.804	0.918	0.611	1.36	0.907	1.05	0.697
24	1.25	0.829	0.861	0.573	0.058	0.882	0.953	0.634	1.32	1.01	1.08	0.727
26	1.40	0.920	0.893	0.594	0.066	0.969	0.991	0.660	1.32	1.13	1.14	0.758
28	1.58	1.02	0.927	0.617	0.073	1.13	1.03	0.687	1.30	1.29	1.18	0.794
30	1.80	1.20	0.964	0.641	0.081	1.30	1.08	0.716	1.47	1.47	1.28	0.832
32	2.05	1.37	1.00	0.668	0.088	1.47	1.13	0.746	2.32	1.68	1.31	0.874
34	2.32	1.54	1.05	0.697	0.096	1.66	1.18	0.784	2.84	1.89	1.38	0.908
36	2.60	1.72	1.09	0.729	0.104	1.84	1.24	0.824	3.48	2.12	1.43	0.943
38	2.90	1.93	1.15	0.767	0.111	2.07	1.33	0.868	3.55	2.38	1.52	1.03
40	3.21	2.13	1.23	0.810	0.119	2.30	1.42	0.916	3.63	2.62	1.73	1.11
42	3.54	2.35	1.31	0.860	0.128	2.53	1.51	0.967	4.34	2.89	1.95	1.23
44	3.88	2.58	1.38	0.910	0.137	2.78	1.60	1.02	4.76	3.17	1.98	1.30
46	4.24	2.82	1.46	0.970	0.146	3.03	1.69	1.13	5.20	3.48	2.03	1.38
48	4.62	3.07	1.53	1.02	0.156	3.30	1.78	1.19	5.67	3.77	2.10	1.45
50	5.01	3.34	1.61	1.07	0.166	3.58	1.87	1.29	6.15	4.09	2.20	1.53



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Table 6-1

- Interior columns: $W24x146$ $P_r = 29.3$ kips, $M_r = 430$ kip-ft
- Laterally braced at top of crane column = 42.5 ft

$$p \times 10^3 = 4.45; b_x = 1.88 \times 10^{-3}$$

$$\text{Say } C_b = 1.75 \text{ (from evaluation of moment diagram)}$$

$$b_x = 1.88 \times 10^{-3} / 1.75 = 1.07 \times 10^{-3} > b_{x(\min)} = 0.852 \times 10^{-3}$$

$$(.5)(0.00445)(29.3 \text{ kips}) + (9/8)(.00107)(430 \text{ kip-ft}) =$$

$$.59 \leq 1.0 \text{ ok}$$



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Final Column Sizes

- Exterior Columns: W30x99
 - Braced by struts aligned with longitudinal bracing, $L_b = 20$ ft. max.
- Interior Columns: W24x146
 - Braced by crane beam / longitudinal crane bracing
- Crane Columns: W14x90 if only one tie provided at top of column; W14x61 if add intermediate tie or brace at mid-height to adjacent building column



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Design of an Industrial Crane Building

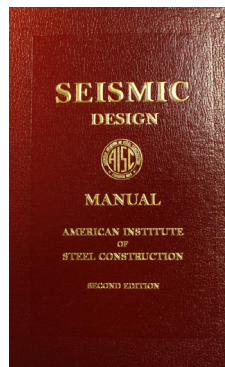
- **Lesson 6**
 - Final Design of the Building Columns
 - Final Design of the Truss
 - Design of the Frame Connections
 - Design of the Anchor Rods



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AISC Seismic Manual 2010



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2010 AISC Seismic Provisions E.1 Ordinary Moment Frames

Application of OMF Requirements (E.1 & Commentary):

- Minimal inelastic deformation capacity required, members and connections
- No limits on width to thickness ratios of members beyond the *Specification*.
- Truss and FR moment connection is designed for required flexural strength and required shear strength equal to the maximum moment and corresponding shear that can be transferred to the truss and the connection by the system including the effects of overstrength and strain hardening.



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2010 AISC Seismic Provisions E.1 Ordinary Moment Frames

Application of OMF Requirements (E.1 & Commentary):

The maximum force transferred by the system is determined based on flexural yielding (hinging) of the moment frame columns.



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Design of the OMF Truss

- Determine end moments and axial forces acting on the truss for the seismic load cases
- E based on $1.1R_yM_p$ of the columns LRFD
- $(1.1R_yM_p/1.5)$ for ASD)



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Design of the OMF Truss

Determine Chord forces acting on the end of the truss due to column yielding.

- W30x99 column at the left end of the truss

$$M_{\text{elleft}} = 1.1 * 1.1 * 50 * 312 / 1.5 = 12,584^{\text{ft-k}}$$

$$P_{\text{elleft}} = 12584^{\text{ft-k}} / (60^{\text{ft}} - 3^{\text{ft}}) = 221^{\text{k}}$$

- W24x146 column at the right end of the truss

$$M_{\text{eright}} = 1.1 * 1.1 * 50 * 418 / 1.5 = 8430^{\text{ft-k}}$$

$$P_{\text{eright}} = 8430^{\text{ft-k}} / (60^{\text{ft}} - 3^{\text{ft}}) = 148^{\text{k}}$$

Determine truss Gravity Loads for load case 5a

$$P_{\text{vert}} = (1 + 0.14 * .77) * (.013) * (5) * (30) = 2.1^{\text{k}}$$

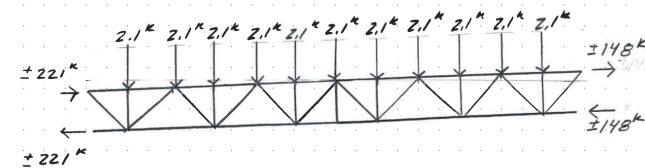


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Design of the OMF Truss

Load Diagram Load Case 5a (ASCE 7-10 Section 12.2.2.3)



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Design of the OMF Truss

Model the truss with continuous chords and pinned diagonal members.

Based on analysis of the truss for the load diagram on the previous slide, the top chord forces at the critical location are:

- $P_{max} = 204.7k$
- $M_{max} = 62.5''-k$
- Check WT9x43.0 chord. Based on aligning braces with roof bracing use 10' unbraced length.
- Axial Strength use table 4-7



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Design of the OMF Truss

Table 4-7 (continued)
 Available Strength in Compression, kips
 WT-Shapes $F_y = 50 \text{ ksi}$

Depth	WT9				WT10				
	A_g	A_n	A_e	A_g	A_n	A_e	A_g	A_n	A_e
8	19.2	16.7	16.7	21.8	19.2	19.2	23.8	21.8	21.8
10	26.2	22.8	22.8	29.7	26.2	26.2	32.4	29.7	29.7
12	32.8	28.3	28.3	37.7	32.8	32.8	40.1	37.7	37.7
14	39.3	34.0	34.0	45.8	39.3	39.3	48.0	45.8	45.8
16	45.7	40.0	40.0	54.0	45.7	45.7	56.2	54.0	54.0
18	52.0	46.3	46.3	62.3	52.0	52.0	64.5	62.3	62.3
20	58.2	52.9	52.9	70.7	58.2	58.2	72.9	70.7	70.7
22	64.3	59.8	59.8	79.2	64.3	64.3	81.4	79.2	79.2
24	70.3	66.9	66.9	87.8	70.3	70.3	90.0	87.8	87.8
26	76.2	74.2	74.2	96.5	76.2	76.2	98.7	96.5	96.5
28	82.0	81.7	81.7	105.3	82.0	82.0	107.5	105.3	105.3
30	87.7	89.4	89.4	114.2	87.7	87.7	116.4	114.2	114.2
32	93.3	97.3	97.3	123.2	93.3	93.3	125.4	123.2	123.2
34	98.8	105.4	105.4	132.3	98.8	98.8	134.5	132.3	132.3
36	104.2	113.7	113.7	141.5	104.2	104.2	143.7	141.5	141.5
38	109.5	122.2	122.2	150.8	109.5	109.5	153.0	150.8	150.8
40	114.7	130.9	130.9	160.2	114.7	114.7	162.4	160.2	160.2
42	119.8	139.8	139.8	169.7	119.8	119.8	171.9	169.7	169.7
44	124.8	148.9	148.9	179.3	124.8	124.8	181.5	179.3	179.3
46	129.7	158.2	158.2	189.0	129.7	129.7	191.2	189.0	189.0
48	134.5	167.7	167.7	198.8	134.5	134.5	201.0	198.8	198.8
50	139.2	177.4	177.4	208.7	139.2	139.2	210.9	208.7	208.7
52	143.8	187.3	187.3	218.7	143.8	143.8	220.9	218.7	218.7
54	148.3	197.4	197.4	228.8	148.3	148.3	231.0	228.8	228.8
56	152.7	207.7	207.7	239.0	152.7	152.7	241.2	239.0	239.0
58	157.0	218.2	218.2	249.3	157.0	157.0	251.5	249.3	249.3
60	161.2	228.9	228.9	259.7	161.2	161.2	261.9	259.7	259.7
62	165.3	239.8	239.8	270.2	165.3	165.3	272.4	270.2	270.2
64	169.3	250.9	250.9	280.8	169.3	169.3	283.0	280.8	280.8
66	173.2	262.2	262.2	291.5	173.2	173.2	293.7	291.5	291.5
68	177.0	273.7	273.7	302.3	177.0	177.0	304.5	302.3	302.3
70	180.7	285.4	285.4	313.2	180.7	180.7	315.4	313.2	313.2
72	184.3	297.3	297.3	324.2	184.3	184.3	326.4	324.2	324.2
74	187.8	309.4	309.4	335.3	187.8	187.8	337.5	335.3	335.3
76	191.2	321.7	321.7	346.5	191.2	191.2	348.7	346.5	346.5
78	194.5	334.2	334.2	357.8	194.5	194.5	359.9	357.8	357.8
80	197.7	346.9	346.9	369.2	197.7	197.7	371.2	369.2	369.2

$$P_n / \Omega = 287k$$

Table 4-7 considers torsional and flexural torsional buckling per Specification Section E4



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Design of the OMF Truss

- Calculate Flexural Strength per Section F9.
- Applicable limit states are yielding, Lateral torsional buckling, and local buckling.
- Yielding per F9.1(b) stem in compression

$$M_p = F_y Z_x \leq M_y \text{ where } M_y = F_y S_x$$

$$M_p = (50 \text{ ksi})(19.90 \text{ in}^3) \leq (50 \text{ ksi})(11.2 \text{ in}^3)$$

$$M_p = 560 \text{ in.} - \text{kip}$$



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Design of the OMF Truss

- Lateral Torsional Buckling per F9.2 with stem in compression

$$M_{cr} = \left(\frac{\pi \sqrt{EI_y GJ}}{L_b} \right) (B + \sqrt{1 + B^2})$$

$$\text{Where: } B = \pm 2.3(d/L_b) \sqrt{\frac{I_x}{J}}$$

- + B applies for stem in tension
- B applies for stem in comp.



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Design of the OMF Truss

- Lateral Torsional Buckling per F9.2 with stem in compression

$$B = -2.3 \left(\frac{9.2}{120} \right) \sqrt{\frac{87.6}{2.04}} = -1.15$$

$$M_{cr} = \frac{3.14 \sqrt{(29000)(87.6)(11200)(2.04)}}{120} (-1.15 + \sqrt{1 + (-1.15)^2})$$

$$M_{cr} = 2,347 \text{ in.} \cdot \text{kip} > M_p$$

Lateral torsional buckling does not control



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Design of the OMF Truss

- Local Buckling of the Tee stem F9.4 stem in compression

$$M_n = F_{cr} S_x \quad \text{when} \quad \frac{d}{t_w} \leq .84 \sqrt{\frac{E}{F_y}} \quad F_{cr} = F_y$$

$$\frac{d}{t_w} = 19.2 \leq .84 \sqrt{\frac{29000 \text{ ksi}}{50 \text{ ksi}}} = 20.2 \quad M_n = (50 \text{ ksi})(11.2 \text{ in}^3)$$

$$M_n = 560 \text{ in.} \cdot \text{kip} \quad M_n / \Omega = \frac{560 \text{ in.} \cdot \text{kip}}{1.67} = 335 \text{ in} \cdot \text{kip}$$



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Design of the OMF Truss

- Check Combined Axial and Bending of the Tee stem

$$P_r = 204.7 \text{ kips} \quad P_r / \Omega = 287 \text{ kips}$$

$$M_r = 62.5 \text{ in} \cdot \text{kip} \quad M_r / \Omega = 335 \text{ in} \cdot \text{kip}$$

$$\frac{204.7}{287} + \frac{8}{9} \left(\frac{62.5}{335} \right) = .88 \leq 1.0 \quad \text{OK}$$



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Design of the OMF Truss

Verify the diagonal members:

Based on analysis:

Max. $P_r = 60.2 \text{ k}$

Based on truss geometry:

$L = 83'' = 6.9 \text{ ft.}$

$2L3 \frac{1}{2} \times 3 \frac{1}{2} \times 5/16$

X axis controls

$P_r / \Omega = 65.8 \text{ k}$

3 equally spaced connectors required.

Table 4-8 (continued)
Available Strength in Axial Compression, kips
Double Angles—Equal Legs

Shape	SSS		SSS		SSS		SSS		SSS	
	Axial	LRFD	Axial	LRFD	Axial	LRFD	Axial	LRFD	Axial	LRFD
0	180	111	125	137	138	167	167	167	167	167
1	139	209	124	146	167	167	167	167	167	167
2	126	205	121	142	165	165	165	165	165	165
3	122	196	117	138	162	162	162	162	162	162
4	120	192	115	135	160	160	160	160	160	160
5	118	187	113	132	158	158	158	158	158	158
6	116	184	111	129	156	156	156	156	156	156
7	114	180	109	126	154	154	154	154	154	154
8	112	177	107	123	152	152	152	152	152	152
9	110	174	105	120	150	150	150	150	150	150
10	108	171	103	117	148	148	148	148	148	148
11	106	168	101	114	146	146	146	146	146	146
12	104	165	99	111	144	144	144	144	144	144
13	102	162	97	108	142	142	142	142	142	142
14	100	159	95	105	140	140	140	140	140	140
15	98	156	93	102	138	138	138	138	138	138
16	96	153	91	99	136	136	136	136	136	136
17	94	150	89	96	134	134	134	134	134	134
18	92	147	87	93	132	132	132	132	132	132
19	90	144	85	90	130	130	130	130	130	130
20	88	141	83	87	128	128	128	128	128	128
21	86	138	81	84	126	126	126	126	126	126
22	84	135	79	81	124	124	124	124	124	124
23	82	132	77	78	122	122	122	122	122	122
24	80	129	75	75	120	120	120	120	120	120
25	78	126	73	72	118	118	118	118	118	118
26	76	123	71	69	116	116	116	116	116	116
27	74	120	69	66	114	114	114	114	114	114
28	72	117	67	63	112	112	112	112	112	112
29	70	114	65	60	110	110	110	110	110	110
30	68	111	63	57	108	108	108	108	108	108
31	66	108	61	54	106	106	106	106	106	106
32	64	105	59	51	104	104	104	104	104	104
33	62	102	57	48	102	102	102	102	102	102
34	60	99	55	45	100	100	100	100	100	100
35	58	96	53	42	98	98	98	98	98	98
36	56	93	51	39	96	96	96	96	96	96
37	54	90	49	36	94	94	94	94	94	94
38	52	87	47	33	92	92	92	92	92	92
39	50	84	45	30	90	90	90	90	90	90
40	48	81	43	27	88	88	88	88	88	88
41	46	78	41	24	86	86	86	86	86	86
42	44	75	39	21	84	84	84	84	84	84
43	42	72	37	18	82	82	82	82	82	82
44	40	69	35	15	80	80	80	80	80	80
45	38	66	33	12	78	78	78	78	78	78
46	36	63	31	9	76	76	76	76	76	76
47	34	60	29	6	74	74	74	74	74	74
48	32	57	27	3	72	72	72	72	72	72
49	30	54	25	0	70	70	70	70	70	70
50	28	51	23	-3	68	68	68	68	68	68

Properties of single angle
 A_g , in²: 6.50, 5.78, 5.00, 4.20, 3.40
 I_x , in⁴: 1.02, 1.08, 1.16, 1.24, 1.32
 I_y , in⁴: 1.02, 1.01, 1.00, 1.00, 1.00
 S_x , in³: 0.470, 0.600, 0.600, 0.600, 0.600
 S_y , in³: 0.600, 0.600, 0.600, 0.600, 0.600
 r_x , in: 0.400, 0.430, 0.430, 0.430, 0.430
 r_y , in: 0.430, 0.430, 0.430, 0.430, 0.430
 e_x , in: 1.67, 1.67, 1.67, 1.67, 1.67
 e_y , in: 0.00, 0.00, 0.00, 0.00, 0.00



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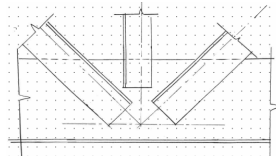
48

Design of the OMF Truss

Design the typical truss connections:

Must check for limit states of:

- Weld shear rupture (dbl. angle to tee weld)
- Base metal shear rupture (dbl. angle to tee weld)
- Tensile rupture (dbl. angle)
- Whitmore yielding and buckling (tee web)
- Block shear strength (tee web)
- Vertical shear (tee)



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OMF Truss Panel Connection

Connection Force : $P_{max} = -60.2^k$

Weld Shear Rupture (Table J2.5)

$$\frac{R_n}{\Omega} = .6F_{exx} * t_{eff} / \Omega \quad \frac{R_n}{\Omega} = .6(70).25 * \frac{.7071}{2} = 3.71 \text{ k/"}$$

Base Metal Shear Rupture – Tee (J4.2)

$$\frac{R_n}{\Omega} = .6F_u * A_{nw} / \Omega \quad \frac{R_n}{\Omega} = .6(65)(\frac{.48}{2})/2 = 4.68 \text{ k/"}$$

Base Metal Shear Rupture – Angle (J4.2)

$$\frac{R_n}{\Omega} = .6F_u * A_{nw} / \Omega \quad \frac{R_n}{\Omega} = .6(58)(.3125)/2 = 5.44 \text{ k/"}$$

$L_{req} = 60.2/3.71 = 16.2$ " Use (4) 5" long 1/4 fillet welds



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OMF Truss Panel Connection

Connection Force: $P_r = 60.2$ kips (+/- Max T&C)

Double angle tensile rupture (d2(b))

$$\frac{R_n}{\Omega} = F_u A_n / \Omega \quad A_e = A_n U \quad U = 1 - x/L$$

$$U = 1 - \frac{.797}{5} = .804$$

$$\frac{R_n}{\Omega} = (58)(3.9)(.804)/2.00 = 90.9 \text{ kips} > 60.2 \text{ kips OK}$$



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OMF Truss Panel Connection

Connection Force : $P_{max} = -60.2^k$ (+/- Max T & C)

Whitmore Yielding (tension)

$$\frac{R_n}{\Omega} = F_y A_w / \Omega \quad A_w = W_{wh} t_w$$

$$W_{wh} = L_{angle} + 2L_{weld} \tan(30) = 3.5 + (2)(5) \tan(30)$$

$$W_{wh} = 9.27"$$

$$\frac{R_n}{\Omega} = (50)(9.27 * .48)/1.67 = 133^k > 60.2^k$$

Whitmore Buckling (Comp.)



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OMF Truss Panel Connection

Whitmore Buckling (Comp.)

$$r_{pl} = \sqrt{\frac{t^2}{12}} = \sqrt{\frac{.48^2}{12}} = .138''$$

$$Kl/r = 1.5 * 4 / .138 = 43.5$$

From table 4-22 $\frac{F_{cr}}{\Omega} = 26.1$ ksi

$$\frac{R_n}{\Omega} = (26.1 \text{ ksi})(9.27 * .48) = 116.1 \text{ k} > 60.2 \text{ k} \quad \text{OK}$$



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OMF Truss Panel Connection

Connection Force: $P_r = 60.2$ kips (+/- Max T&C)

Block Shear Strength Section J4.3 Equation J4-5

$$R_n = .6F_u A_{nv} + U_{bs} F_u A_{nt} \leq .6F_y A_{gv} + U_{bs} F_u A_{nt}$$

$$\Omega = 2.00$$

Welded connection, therefore $A_{nv} = A_{gv}$

Conservatively $A_{gv} = (.48 \text{ in.})(2 \times 5 \text{ in.}) = 4.8 \text{ in}^2$

$$A_{nt} = (.48 \text{ in.})(3.5 \text{ in.}) = 1.68 \text{ in}^2$$

$$R_n / \Omega = (.6(50)(4.8) + (1.0)(65)(1.68)) / 2 = 126.6 \text{ kips} > 60.2 \text{ kips} \quad \text{OK}$$



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OMF Truss Panel Connection

Connection Force: $P_{\max} = -60.2^k$ (+/- Max T & C)

Chord Shear Strength Chapter G

$$V_n = .6F_y A_w C_v \quad \Omega = 1.67 \quad \text{Section G2}$$

When $h/t_w \leq 1.1\sqrt{kvE/F_y}$ $C_v = 1.0$

$$C_v = 1.51k_v E / ((h/t_w)^2 F_y)$$

$$h/t_w = 19.2 < 1.1\sqrt{\frac{5(29000)}{50}} = 59.2 \quad C_v = 1.0$$

$$V_n = .6(50)(.48 * 9.2)1.0 = 132.5 \text{ k}$$

$$\frac{R_n}{\Omega} = 132.5 \text{ k} / 1.67 = 79.3^k > 60.2^k (57/83) = 41.3^k \quad \text{OK}$$



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OMF Truss Panel Connection

Check shear rupture per J4.2

$$R_n = .60F_u A_{nv} \quad \Omega = 2.00$$

$$R_n / \Omega = .60(65)(.48)(9.2) / 2.0 = 86.1 \text{ kips} > 41.3 \text{ kips} \quad \text{ok}$$

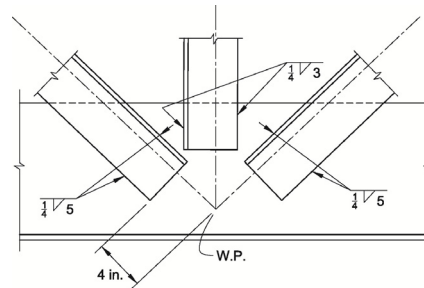


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OMF Truss Panel Connection

TYPICAL TRUSS CONNECTION
BOTTOM CHORD



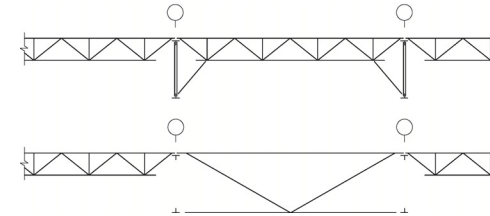
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Truss Chord Bracing

2 options:

1. Model the frame including the truss and the chord bracing system into a second order analysis.
2. Design the braces per Appendix 6 Stability Bracing for Columns and Beams



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Design of an Industrial Crane Building

• Lesson 6

- Final Design of the Building Columns
- Final Design of the Crane Columns
- Final Design of the Truss
- Design of the Frame Connections
- Design of the Anchor Rods



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2010 AISC Seismic Provisions Section A4

Section A4 of the Seismic Provisions requires the following information to be on the structural drawings (partial list):

- Designation of the *seismic load resisting system* (SFRS)
- Identification of the members and connections that are a part of the SFRS
- Configuration of the connections
- Connection material specifications and sizes
- Locations of *demand critical welds*
- ...



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Design of the OMF Connections

- The design of the OMF connections must meet the AISC 341 Seismic Provisions.
- For Joist Girders, the design procedures can be found in the SJI Technical Digest 11, "Design of Lateral Load Resisting Frames Using Steel Joists and Joist Girders", November 2007



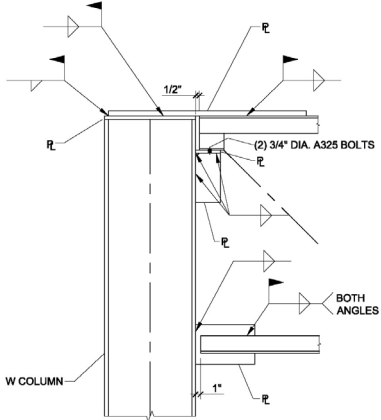
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Exterior Moment Connection

This detail provides a direct transfer of the chord forces to the column.
 Connection of the truss to the column must be based on developing $1.1R_yM_p$ of the column.

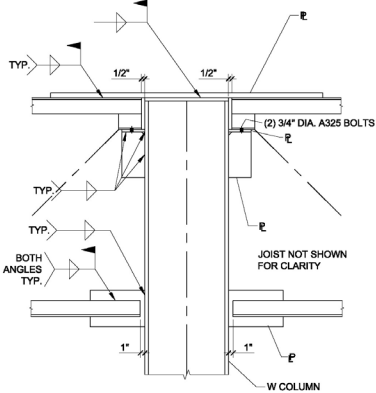
(Same as truss design)



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Interior Moment Connection



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OMF Connections

- The top plate and the bottom plate sizes are determined from the maximum chord force (based on $M=1.1R_yM_p$ of column).
- The seat size is determined using Table 10-8, "Bolted/Welded Stiffened Seated Connections" in the AISC Manual



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Truss Seat Connection

- Salmon and Johnson (1996) indicates four steps for the design of stiffened seats for beam reactions. These are:
 - Determine the seat width
 - Determine the eccentricity e_s of load
 - Determine the stiffener thickness t_s
 - Determine the angle or plate sizes and arrangement of bolts; or the weld size and length

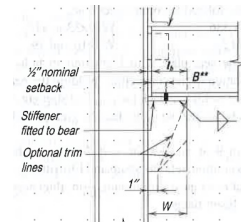


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Truss Seat Connection

- The seat width for beam reactions is based on the required bearing for the beam to prevent local web yielding and web crippling. For the truss same limit states apply to the web of the tee. The vertical reaction is located at the work point of the end diagonal member.
- Based on the limit states of Web Local Yielding (J10.2) and Web Local Crippling (J10.3) a bearing length of 4" is selected.



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Truss Seat Connection

The text by Salmon and Johnson indicates the following limit states for design of stiffened seats.

1. The stiffener thickness, t_s , should be equal to or greater than the thickness, t_w , of the supported beam web. Since the WT web is .48" use a $\frac{3}{4}$ " thick A36 plate.
2. Local buckling of the stiffener must be prevented. Local buckling is prevented provided the stiffener thickness is greater than or equal to $w/16$ per the 2010 AISC Specification Section J10.8(2). W = width of stiffener.
3. The design bearing strength, R_n , on the contact area of stiffener must satisfy the bearing equation from the 2010 AISC Specification Eqn. J7-1

$$(R_n = 1.8F_y A_{pb}, \Omega = 2.0, \phi = 0.75)$$



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Truss Seat Connection

- Limit States
 - Eccentric loading on the stiffener and weld
 - Stiffener shear yielding



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Truss Seat Connection

- Eccentric Loading on the stiffener (S&J)

$$t_s = \frac{P(6es - 2W)}{.90F_yW^2} = \frac{P(6 * 2.5 - 2 * 4.5)}{.90(36)4.5^2} = .0091P$$

For a 3/4" plate: $P_a = .75 / .0091 = 82.4 \text{ kips} > 43 \text{ kips}$ OK

Where, e_s = erection clearance + N/2 or $w - N/2$.

For A36 plate ($F_y = 36 \text{ ksi}$):

$w = 4 \text{ in.} + 0.5 \text{ in. (setback)} = 4.5 \text{ in}$

$e_s = 4.5 - 4/2 = 2.5 \text{ in.}$ $\Omega = 2.0$



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Truss Seat Connection

Stiffener shear yielding:

- $R_n = .6F_y * t_s * L = .6 * 36 * .75 * 12 = 194.4k$
- $R_n / \Omega = 116.4k > 43k$

Stiffener to Column Weld:

Refer to manual table 10-8

- For a 12" long seat 5" wide 5/16" weld;
- $R_n / \Omega = 80.2k$ $L = \text{stiffener length, 12 in.}$
 $\Omega = 1.67$



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Truss Seat Connection

Table 10-8
Bolted/Welded Stiffened
Seated Connections
Weld Available Strength, kips

Width of Seat, W, in.

L, in.	70-ksi Weld Size, in.				70-ksi Weld Size, in.			
	1/4	3/8	1/2	3/4	1/4	3/8	1/2	3/4
4	227	34.8	28.4	47.1	34.0	31.1	38.7	39.8
7	298	44.8	37.4	59.1	44.0	42.2	52.8	53.6
8	374	56.7	47.2	70.8	56.2	53.0	65.1	65.9
9	448	68.3	57.7	86.5	68.2	64.6	79.7	80.3
10	518	80.3	68.6	101	80.3	76.3	94.4	94.9
11	583	91.8	79.8	116	91.8	87.4	107	107.5
12	643	103	91.4	132	103	98.6	121	121.5
13	700	115	103	148	115	110	135	135
14	753	126	115	165	126	122	151	151
15	803	137	127	181	137	133	164	164
16	850	148	139	197	148	144	177	177
17	895	159	151	213	159	155	191	191
18	938	170	163	229	170	166	205	205
19	979	181	175	245	181	177	219	219
20	1018	192	188	261	192	188	233	233
25	1260	240	230	330	240	230	290	290
30	1460	284	272	404	284	272	364	364
35	1630	326	312	480	326	312	440	440
40	1780	366	350	556	366	350	516	516
45	1910	404	388	632	404	388	592	592
50	2020	440	424	708	440	424	668	668
55	2110	474	458	784	474	458	744	744
60	2190	506	492	860	506	492	820	820
65	2260	536	524	936	536	524	896	896
70	2320	564	556	1012	564	556	972	972
75	2370	590	588	1088	590	588	1048	1048
80	2410	614	620	1164	614	620	1124	1124
85	2440	636	652	1240	636	652	1200	1200
90	2470	656	684	1316	656	684	1276	1276
95	2490	674	716	1392	674	716	1352	1352
100	2500	690	748	1468	690	748	1428	1428
105	2500	704	780	1544	704	780	1504	1504
110	2500	716	812	1620	716	812	1580	1580
115	2500	726	844	1696	726	844	1656	1656
120	2500	734	876	1772	734	876	1732	1732
125	2500	740	908	1848	740	908	1808	1808
130	2500	744	940	1924	744	940	1884	1884
135	2500	746	972	2000	746	972	1960	1960
140	2500	746	1004	2076	746	1004	2036	2036
145	2500	744	1036	2152	744	1036	2112	2112
150	2500	740	1068	2228	740	1068	2188	2188
155	2500	734	1100	2304	734	1100	2264	2264
160	2500	726	1132	2380	726	1132	2340	2340
165	2500	716	1164	2456	716	1164	2416	2416
170	2500	704	1196	2532	704	1196	2492	2492
175	2500	690	1228	2608	690	1228	2568	2568
180	2500	674	1260	2684	674	1260	2644	2644
185	2500	656	1292	2760	656	1292	2720	2720
190	2500	636	1324	2836	636	1324	2796	2796
195	2500	614	1356	2912	614	1356	2872	2872
200	2500	590	1388	2988	590	1388	2948	2948
205	2500	564	1420	3064	564	1420	3024	3024
210	2500	536	1452	3140	536	1452	3100	3100
215	2500	506	1484	3216	506	1484	3176	3176
220	2500	474	1516	3292	474	1516	3252	3252
225	2500	440	1548	3368	440	1548	3328	3328
230	2500	404	1580	3444	404	1580	3404	3404
235	2500	366	1612	3520	366	1612	3480	3480
240	2500	326	1644	3596	326	1644	3556	3556
245	2500	284	1676	3672	284	1676	3632	3632
250	2500	240	1708	3748	240	1708	3708	3708
255	2500	194	1740	3824	194	1740	3784	3784
260	2500	146	1772	3900	146	1772	3860	3860
265	2500	96	1804	3976	96	1804	3936	3936
270	2500	44	1836	4052	44	1836	4012	4012

Limitations for Connections to Column Webs

W _f = 2 1/2 in. max.	W _f = 2 1/2 in. max.
W _f = 16 in. max.	W _f = 16 in. max.
W _f = 16 in. max.	W _f = 16 in. max.

Notes:
1. Member design requires 70-ksi electrodes. For 60-ksi electrodes, multiply tabular values by 0.833, or enter table with 1.17 times required strength.
2. No column section 12, 14, or 16. For 10-ksi electrodes, multiply tabular values by 1.14, or enter table with 0.875 times the required strength.
3. Tabular values are valid for stiffeners with tapered thicknesses.



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Truss to Column FR Conn,

- Design top plate for axial chord force:

$$\frac{R_n}{\Omega} = \frac{F_y A_g}{\Omega} = \frac{36(1.25 * 9)}{1.67} = 242.5k > 221k$$

- Design Bottom plate:

$$\frac{R_n}{\Omega} = \frac{F_y A_g}{\Omega} = \frac{36(1.0 * 12)}{1.67} = 258.7k > 221k$$

- Design the longitudinal fillet welds to the chord:

$$\text{Use } 5/16 \text{ fillets } \frac{R_n}{\Omega} = 4.64 \text{ k/in. } L_{\text{requ.}} = 221 / 4.64 = 47.6"$$

- Use (2) 24" lines of 5/16 fillet welds



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Truss Connection

- Design the transverse fillet welds from the bottom plate to the column flange:
- See J4, Linear weld group, uniform leg size, loaded through the center of gravity.

$$R_n = F_{nw}A_{we} \quad F_{nw} = .60F_{EXX}(1.0 + .50\sin^{1.5}\theta)$$

For 1/2" fillet welds the capacity per inch:

$$r_n/\Omega = .60 * 70(1.0 + .50\sin^{1.5}90)(.5*.7071)/2.00 = 11.1 \text{ k/"}'$$

For 20" of weld:

$$\frac{r_n}{\Omega} = 222 \text{ k} > 221 \text{ k} \text{ ok}$$



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Truss Connection

- Check Column for Stiffeners:
- Flange Local Bending per J10.1: $\frac{R_n}{\Omega} = 84 \text{ k} < 221 \text{ k ng}$
- Web Local Yielding per J10.2: $\frac{R_n}{\Omega} = 149.1 \text{ k} < 221 \text{ k ng}$
- Web Local Crippling per J10.3: $\frac{R_n}{\Omega} = 84 \text{ k} < 221 \text{ k ng}$
- Web Comp. Buckling per J10.5: $\frac{R_n}{\Omega} = 90 \text{ k} < 221 \text{ k ng}$

Stiffeners are required. See J10.8

- Size flange welds for diff. between required strength and available strength.
- Size web weld transfer stiffener force to the column web.



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Truss Connection

Check Column for Web Panel Zone Shear J10.6 (a)
 Panel zone deformation not considered in the analysis:

$$P_r \leq 4P_c \quad R_n = .60F_y d_c t_w \quad \Omega = 1.67$$

$$R_n/\Omega = .6(50)(.52)(29.7)/1.67 = 277 \text{ kips} > 221 \text{ kips OK}$$

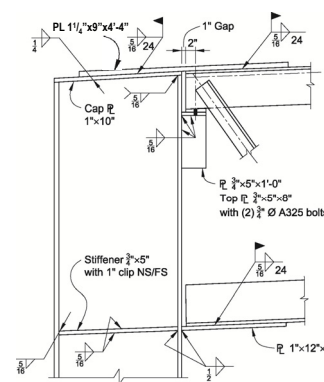
Note: The 221 kip demand is used for convenience and is conservative. The panel zone shear demand is actually based on the building code load combinations and does not need to achieve $1.1R_y M_p$



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Final Detail at Sidewalls



- Additional Design Steps:
1. Provide bearing for joists
 2. Review and coordinate with longitudinal bracing



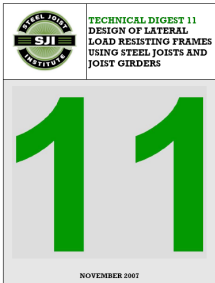
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Alternate Joist Girders

As an alternate to the fabricated truss illustrated in this example a joist girder could be specified to act as the truss in the OMF.

SJI has Excel programs available from their website that can be used for the design of the JG to column connection.



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Controlling IBC Load Combinations (ASD)

LRFD Load Combination:	Girder Designation: 60G12NSP		→ ←			
	Panel Load (kips)	Left End Moment (kip-ft.)	Right End Moment (kip-ft.)	TC Force (kips)	BC Force (kips)	Remarks
D + S	5.0	73	-487	2		
D + 3/4S + 1/2(Crane Lateral)	4.2	-43 120	-359 -515	3		
$(1.0 + 0.14S_{DS})D + M_{pe}/1.5$	2.2	+/-753	-/+703	4		
$[1.0 + (3/4)0.14S_{DS}]D + 3/4(M_{pe}/1.5) + 3/4S$	4.4	+/-565	-/+527	3		
$(0.6 - 0.14S_{DS})D + M_{pe}$	0.9	+/-753	-/+703	4		

M_{pe} in the load combination indicates the AISC OMF requirement, and the SJI requirement of applying $1.1R_yM_p$ to JG ends.



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Controlling IBC Load Combinations (ASD)

LRFD Load Combination:	Girder Designation: 60G12NSP		→ ←			
	Panel Load (kips)	Left End Moment (kip-ft.)	Right End Moment (kip-ft.)	TC Force (kips)	BC Force (kips)	Remarks
D + S	5.0	487	-73	2		
D + 3/4S + 1/2(Crane Lateral)	4.2	359 515	43 -120	3		
$(1.0 + 0.14S_{DS})D + M_{pe}/1.5$	2.2	+/-703	-/+753	4		
$[1.0 + (3/4)0.14S_{DS}]D + 3/4(M_{pe}/1.5) + 3/4S$	4.4	+/-527	-/+565	3		
$(0.6 - 0.14S_{DS})D + M_{pe}$	0.9	+/-703	-/+753	4		

M_{pe} in the load combination indicates the AISC OMF requirement, and the SJI requirement of applying $1.1R_yM_p$ to JG ends.



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Design of an Industrial Crane Building

• Lesson 6

- Final Design of the Building Columns
- Final Design of the Crane Columns
- Final Design of the Truss
- Design of the Frame Connections
- Design of the Anchor Rods



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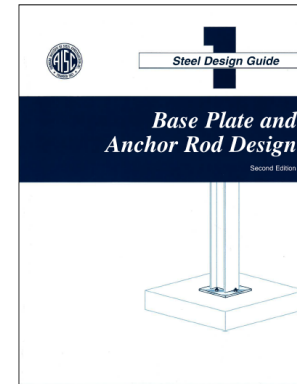
Anchor Rod Design



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Anchor Rod Design



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Anchor Rod Specifications

ASTM F1554.

Two items of particular interest in 1554 relate to:

- Classification, and
- Product Marking (color coating)



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ASTM 1554 - Classifications

- Anchor rods furnished to the ASTM 1554 Specification can be obtained in three grades which denote three steel yield strengths, they are to be color coated as shown:
 - 36 ksi - Blue
 - 55 ksi - Yellow *
 - 105 ksi - Red

The 36 ksi rods, and the 55 ksi rods, can be obtained in diameters up to 4 in. The 105 ksi rods can be obtained up to 3 in. diameters.



*Supplement S1 for weldable material.
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Anchor Rod Erection Requirements Per OSHA 1926.75

- Minimum of 4 anchor rods
- Designed for a minimum load of 300 lbs at 18-inches eccentric from any column face
- Anchor rods shall not be repaired or replaced or field modified without the approval of SEOR
- Approval must state if repair/modification shall require guying or bracing of the column
- Contractor shall provide written notification to erector of any repair or modification



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Hole Sizes

AISC Anchor Rod Hole Sizes:

The recommended anchor rod hole diameters and minimum washer diameters and thicknesses can be found on page 14-21 of the AISC 14th edition Steel Construction Manual. The sizes are shown below:

Anchor Rod Diameter, in.	Hole Diameter, In.	Min. Washer Diameter, in.
3/4	1- 5/16	1- 7/8
7/8	1- 9/16	2- 1/4
1	1- 13/16	2- 5/8
1- 1/4	2- 1/16	2- 7/8
1- 1/2	2- 5/16	3- 1/8
1- 3/4	2- 3/4	3- 3/4
2	3-1/4	4- 1/2
2- 1/2	3-3/4	5



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Anchor Rod Available Strength, kips

Table 3.1. ASTM F1554 Anchor Rod (rod only) Available Tensile Strength, kips

Rod Diameter, in.	Rod Area, A_n , in. ²	LRFD $\phi = 0.75$			ASD $\Omega = 2.00$		
		Grade 36	Grade 55	Grade 105	Grade 36	Grade 55	Grade 105
		kips	kips	kips	kips	kips	kips
5/8	0.307	10.0	12.9	21.6	6.68	8.63	14.4
3/4	0.442	14.4	18.6	31.1	9.60	12.4	20.7
7/8	0.601	19.6	25.4	42.3	13.1	16.9	28.2
1	0.785	25.6	33.1	55.2	17.1	22.1	36.8
1 1/8	0.994	32.4	41.9	69.9	21.6	28.0	46.6
1 1/4	1.23	40.0	51.8	86.3	26.7	34.5	57.5
1 1/2	1.77	57.7	74.6	124	38.4	49.7	82.8
1 3/4	2.41	78.5	102	169	52.3	67.6	113
2	3.14	103	133	221	68.3	88.4	147
2 1/8	3.98	130	168	280	86.5	112	186
2 1/2	4.91	160	207	345	107	138	230
2 3/4	5.94	194	251	418	129	167	278
3	7.07	231	298	497	154	199	331
3 1/8	8.30	271	350	583	180	233	389
3 1/2	9.62	314	406	677	209	271	451
3 3/4	11.0	360	466	777	240	311	518
4	12.6	410	530	884	273	353	589



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Design of Anchor Rods in Tension:

- Determine the anchor rod tension.
- Select the anchor rod material and the number of anchor rods.
- Determine the base plate size and weld size.
- Determine the required development length for the anchor rods.



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AISC 341 REQUIREMENTS

AISC 341 Seismic Provisions, D2.6 Column **Bases**

- D2.6a Required **Axial** Strength – the greater of
 - (a)...calculated using the load combinations...including the amplified seismic load
 - (b)...required axial strength for column splices (D2.5b)
 - (a) ...*load combinations*...including the *amplified seismic load* or
 - (b) maximum force that can be delivered by the system



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AISC 341 REQUIREMENTS

AISC 341 Seismic Provisions, D2.6 Column **Bases**

- D2.6b Required **Shear** Strength
 - For Columns...required shear strength for column splices(D2.5c) which requires the greater of
 - (a) M_{pc}/h (LRFD) or $M_{pc}/(1.5h)$ (ASD)
 - (b) AISC 360 requirements and ...calculated using the *load combinations*...including the *amplified seismic load*



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AISC 341 REQUIREMENTS

AISC 341 Seismic Provisions, D2.6 Column **Bases**

- D2.6c Required **Flexural** Strength For Columns the lesser of
 - (a) $1.1R_yF_yZ$ (LRFD) $(1.1/1.5)R_yF_yZ$ (ASD)
 - or
 - (b)...moment calculated using the load combinations...including the amplified seismic load



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AISC 341 REQUIREMENTS

AISC 341 Seismic Provisions, D2.6 Column **Bases**

Based on these rules, we calculate (for the critical load combination):

$P_r = 48 \text{ k}$	(Ω load combination)
$M_r = 1006 \text{ k-ft}$	(Ω load combination)
$V_r = 49 \text{ k}$	(column flexure)



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Large Moment Base Plate Design

Refer to AISC Design Guide 1
 Base Plate and Anchor Rod Design
 Second Edition

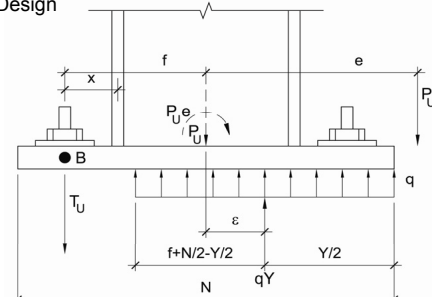


Fig. 3.4.1 Base Plate with Large Moment



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Anchor Rod Tension

For the W24x146: Using amplified forces for axial and the shear force based on hinging the column

$$P_r = 48.0 \text{ kips}, \quad M_r = 1006 \text{ kip-ft}, \quad V_r = 49 \text{ kips}$$

Try a base plate where $N = 40 \text{ in.}$ and $B = 24 \text{ in.}$

$$f'_c = 4 \text{ ksi}, \quad F_y \text{ of the base plate} = 36 \text{ ksi}, \quad \Omega_c = 2.31 \quad (\text{J8})$$

$$e = M_r/P_r = (1006 \text{ kip-ft})(12)/48 \text{ kips} = \mathbf{251.5 \text{ in.}}$$

$$f_p(\max) = \frac{.85f'_c}{\Omega_c} \sqrt{\frac{A_2}{A_1}} \leq 1.7f'_c = \frac{.85(4 \text{ ksi})}{2.31}(2) = 2.94 \text{ ksi}$$

$$q_{\max} = (2.94 \text{ ksi})(B) = (2.94)(24 \text{ in.}) = 70.65 \text{ kips/in.}$$



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Anchor Rod Tension

Determine from Design Guide 1 equations if the base plate is considered a large moment base plate. If:

$$e > e_{\text{crit}} = \frac{N}{2} - \frac{P_a}{2q_{\max}} = \frac{40 \text{ in.}}{2} - \frac{48 \text{ k}}{2(70.65 \text{ k/in.})} = 19.66 \text{ in.}$$

$e > e_{\text{crit}}$ 251.5 in. > 19.66 in.: Large moment base plate.

where:

e = the eccentricity of load, in.

N = the base plate length, in.

P_r = the required axial force in the column, kips

q_{\max} = the maximum stress on the concrete



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Anchor Rod Tension

Check the inequality:

$$\frac{2P_a(e + f)}{q_{\max}} < \left(f + \frac{N}{2}\right)^2 \text{ or a larger base plate is required}$$

$$\frac{2(48)(251.5 + 16)}{70.65} = 363.5 < \left(16 + \frac{40}{2}\right)^2 = 1296$$

OK, Base Plate Size is adequate to proceed.



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Anchor Rod Tension

Y = Length of the compression block

$$Y = \left(f + \frac{N}{2}\right) \pm \sqrt{\left(f + \frac{N}{2}\right)^2 - \frac{2P_a(e + f)}{q_{max}}}$$

$$Y = \left(16 + \frac{40}{2}\right) \pm \sqrt{\left(16 + \frac{40}{2}\right)^2 - \frac{2 * 48(251.5 + 16)}{70.65}}$$

$$Y = 5.46''$$



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Anchor Rod Tension

Bolt tension ($\Sigma f_{vert} = 0$)

$$T = q_{max} Y - P_a = (70.65)(5.46) - 48 = 338 \text{ kips}$$

$$T_{bolt} = 84.4 \text{ kips}$$

Select (4) 2 1/2 in. dia. 36 ksi rods

$$R_n / \Omega = 107 \text{ kips / bolt}$$

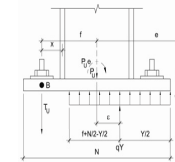


Fig. 3.4.1 Base Plate with Large Moment



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Base Plate Thickness

Washer size for 2-1/2 in. rod = 5 1/2 in. x 7/8 in.

Hole size = 3 3/4 in.

Check plate length beyond flange:

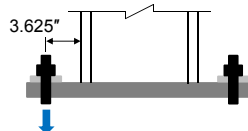
Washer/2 + edge distance + tolerance:

$$2.75 \text{ in.} + 0.5 \text{ in.} + 0.5 = 3.75 \text{ in.}$$

Min. Plate length $\approx (2)16 \text{ in.} + (2)(3.75 \text{ in.}) = 39.5 \text{ in.}$

base plate 40 in. x 24 in. OK!

Based on current configuration
 Clearance for bolts



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Base Plate Thickness

Lever arm to flange = 3.625 in.

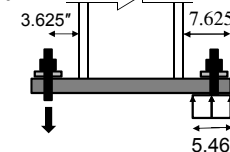
$$M_t = (338 \text{ kips})(3.625 \text{ in.}) = 1225 \text{ kip-in.}$$

$$M_c = (5.46'')(70.65 \text{ k/ft})(7.625 - 5.46/2) = 1888''\text{-k}$$

$$\text{Plate plastic modulus, } Z = Bt^2/4 = 24t^2/4 = 6t^2$$

$$\text{Plate strength} = \frac{F_y Z}{\Omega} = \frac{(36)(6t^2)}{1.67} = 129.34t^2$$

$$t = \sqrt{\frac{1888}{129.34}} = 3.82'' \text{ Use } 4'' \text{ thick base pl.}$$



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Anchor Rods- Shear

- See AISC Design Guide 1 for suggestions and design procedures to transfer the shear load.
 - Bearing
 - Shear Lugs
 - Shear in Anchor Rods.

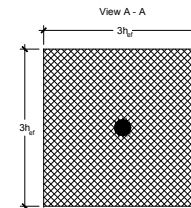
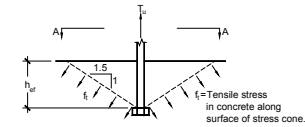


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Anchor Rod Development

- Refer to ACI 318- 14.



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End of Lesson 6



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Quiz and Attendance records: Posted Tuesday mornings. www.aisc.org/nightschool - scroll down to Quiz and Attendance Records.

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REINFORCEMENT – Reinforce what you learned tonight. Get more out of the course.

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Night School Resources

Event	Date
NS 13 8-Session Package	1/30/2017 7:00:00 PM



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8-SESSION PACKAGE RESOURCES

Event	Date	Handouts	Video	Quiz	Attendance
NS13 - Design Criteria	1/30/2017 7:00:00 PM	Handouts	Video Passcode: NS13DSN	Pass Score 80	Pending
NS13 - Economic Considerations	2/6/2017 7:00:00 PM	Handouts	Available 02/08/2017 5pm EST	Available 02/08/2017 5pm EST	Pending
NS13 - Lateral Load Systems and Details	2/13/2017 7:00:00 PM	Handouts	Available 02/25/2017 5pm EST	Available 02/15/2017 5pm EST	Pending
NS13 - Preliminary Design Procedures	2/27/2017 7:00:00 PM	Handouts	Available 03/01/2017 5pm EST	Available 03/01/2017 5pm EST	Pending
NS13 - Crane Girder Design and Frame Analysis	3/6/2017 7:00:00 PM	Handouts	Available 03/08/2017 5pm EST	Available 03/08/2017 5pm EST	Pending
NS13 - Frame Member and Connection Design	3/13/2017 7:00:00 PM	Handouts	Available 03/25/2017 5pm EST	Available 03/15/2017 5pm EST	Pending
NS13 - Transfer Crane Girder & Longitudinal Bldg Bracing Dgn	3/27/2017 7:00:00 PM	Handouts	Available 03/29/2017 5pm EST	Available 03/29/2017 5pm EST	Pending
NS13 - Building Envelope and Bracing Design	4/3/2017 7:00:00 PM	Handouts	Available 04/05/2017 5pm EST	Available 04/05/2017 5pm EST	Pending
NS13 - Final Exam	4/10/2017 7:00:00 PM			Available 04/12/2017 5pm EST	

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- Weekly “quiz and recording” email.
- Weekly updates of the master Quiz and Attendance record found at www.aisc.org/nightschool. Scroll down to Quiz and Attendance records.
 - Updated on Tuesday mornings.



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Survey at conclusion of webinar.

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